

Expressions and equations

| Term | Definition | Illustration |
|-----------------------------|---|--|
| Abstract thinking | Thinking logically without the use of concrete material or visual representations. | |
| Algebra | The use of letters and numbers to express mathematical information. | |
| Algebraic expression | Algebraic expressions are built up from integer constants, variables (letters) and operations. | $4b - 5$ $6 + 3t^2 - 7p$ |
| Algebraic term | A constant, a variable or a combination of these multiplied together | $3t^2$ $-7p$ |
| Constant | A number, or a symbol used to denote a value that does not change. | |
| Distributive Law | Multiplying a number by a group of numbers added together is the same as doing each multiplication separately | $3 \times (2 + 4) = 3 \times 2 + 3 \times 4$ |
| Equality | The equals sign (=) is used between two expressions to indicate that they take the same value. | |
| Equation | A statement that means that two expressions are equal in value. | $4x - 2 = 10$ |

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| Formula | A mathematical relationship or rule expressed in symbols. | Volume of a Cuboid: $V = l \times b \times h$ |
| Greater than | The symbol $>$ means greater than. | $7 > 4$ |
| Inequality | The symbol \neq is used between two expressions to indicate that they do not take the same value. | |
| Less than | The symbol $<$ means less than. | $2 < 5$ |
| Operators | These are symbols that are part of the universal language of mathematics. The four operators $+$, $-$, \times , \div are the first set of symbols that learners usually become familiar with. | |
| Variable | A variable quantity, as its name suggests, can change in value. In algebra, letters are used to represent variables. | |

Expressions and equations

| Skill | Illustration |
|---|--|
| Evaluating algebraic expressions | <p>Substitute specific values for each variable and perform the correct operations to find the value of the expression.</p> <p>Given $t = 2$ and $f = 6$</p> $ \begin{aligned} &5t + 3f \\ &= 5 \times 2 + 3 \times 6 \\ &= 10 + 18 \\ &= 28 \end{aligned} $ |
| Expanding brackets | <p>Using the distributive law with algebraic terms.</p> $ \begin{aligned} &5(f + 4) \\ &= 5 \times f + 5 \times 4 \\ &= 5f + 20 \end{aligned} $ |
| Factorising algebraic expressions | <p>The process of finding the factors in an expression. It is like "splitting" an expression into a multiplication of simpler expressions.</p> <p>Factorise $6y + 9$</p> <p>3 is the highest common factor of $6y$ and 9</p> <p>So $6y + 9 = 3(2y + 3)$</p> |
| Simplifying expressions by collecting like terms | <p>Longer expressions should be simplified so to avoid repetition of terms involving the same variable.</p> $ \begin{aligned} &2x + 5y + 3x - 3 - 4y \\ &= 5x + y - 3 \end{aligned} $ |
| Solving equations | <p>The process of finding the value of a variable that makes both sides of the equation equal in value.</p> <p>The idea of keeping both sides balanced by carrying out the same operation to each side of the equations at every step is important here.</p> |